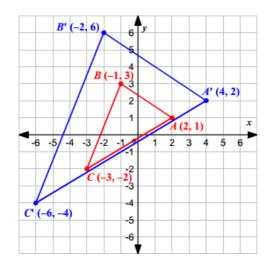
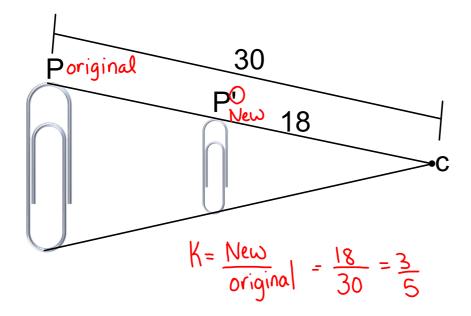
Unit 12.1 Dilations, Transformations, and triangle similarity

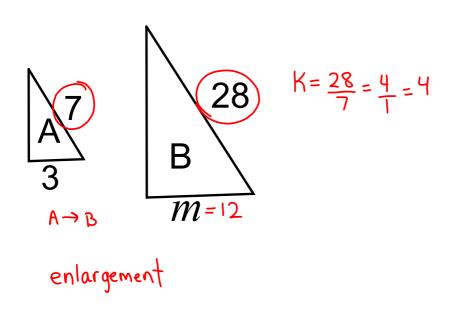


I can:_____

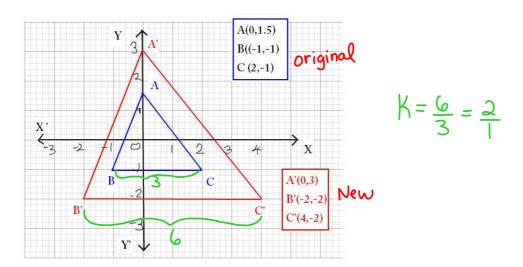
Dilation: Indicate reduction or enlargement and scale factor



Dilation: Indicate **reduction or enlargement** from figure A to figure B, then find m

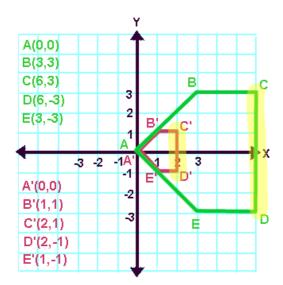


Dilation: Indicate reduction or enlargement and scale factor



What is the scale factor?

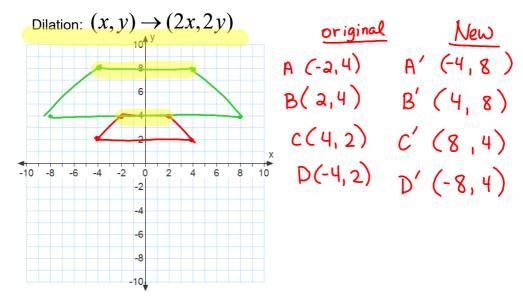
Is this an example of a reduction or an enlargement?



Reduction

$$K = \frac{2}{6} = \frac{1}{3}$$

Graph ABCD with vertices A(-2,4) B(2,4), C(4,2), D(-4,2) What are the coordinates for A', B', C', D'?



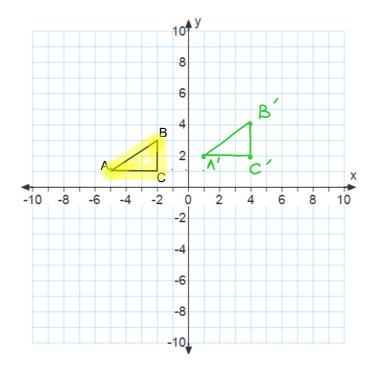
Given _____ABCD with vertices A(-6,6) B(-1,6), C(1,3), D(-4,3).

Dilation: $(x,y) \rightarrow (\frac{1}{3}x, \frac{1}{3}y)$

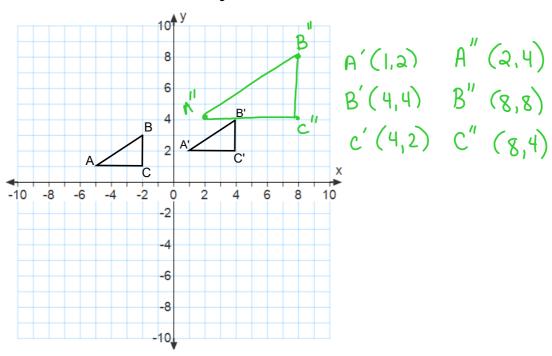
New vertices?

$$A'(-2,2)$$
 $B'(-1/3,2)$
 $C'(1/3,1)$
 $P'(-1/3,1)$

Translate △ ABC 6 units right and 1 unit up



Translate △ABC 6 units right and 1 unit up Dilate \triangle A'B'C' by a scale factor of 2



Given \triangle ABC with points: A(4,1), B(3,-2), C(-4,-2)

Dilation:
$$(x, y) \rightarrow (2x, 2y)$$

Translation:
$$(x, y) \rightarrow (x-3, y+2)$$

Translation:
$$(x, y) \to (x-3, y+2)$$

A (4,1) A' $(8,2)$ A" $(5,4)$

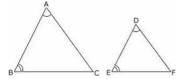
$$B(3,-2)$$
 $B'(6,-4)$ $B''(3,-2)$

Given \triangle ABC with points: A(4,1), B(3,-2), C(-4,-2)

Translation:
$$(x, y) \rightarrow (x+2, y-3)$$

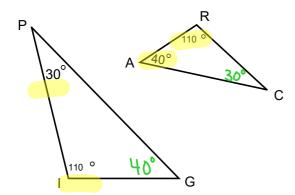
Dilation:
$$(x, y) \rightarrow (4x, 4y)$$

$$B(3,-2)$$
 $B'(5,-5)$ $B''(20,-20)$



Angle-Angle Similarity Postulate (AA ∼)

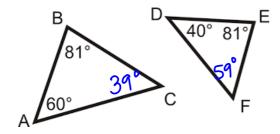
If two angles of one triangle are congruent to two angles of another triangle, then the two triangles are similar. 1. Are the two triangles similar? If they are write the similarity statement.



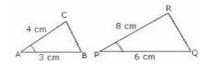
$$\triangle PGI \sim \triangle CAR$$
 $\overrightarrow{PG} \sim \overrightarrow{CA}$
 $\overrightarrow{GI} \sim \overrightarrow{AR}$
 $\overrightarrow{IP} \sim \overrightarrow{RC}$

2. Are the two triangles similar? If they are write

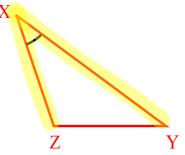
the similarity statement.



Side-Angle-Side (SAS) Similarity Theorem

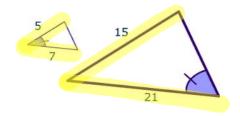


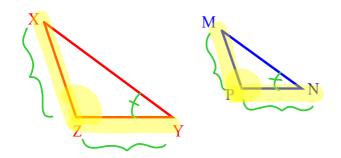
If an angle of one triangle is congruent to an angle of a second triangle and the lengths of the sides including these angles are proportional, then the triangles are similar.



If
$$\angle X \cong \angle M$$
 and $\frac{ZX}{PM} = \frac{XY}{MN}$, then $\triangle XYZ \sim \triangle MNP$

This is **not** an example of SAS Similarity. Why not?





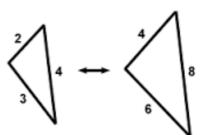
1. If angle Y is \cong to angle N, which 2 sides need to be proportionate for the triangles to be similar by SAS?

$$\frac{\text{ZY}}{\text{PN}} = \frac{\text{XY}}{\text{MN}}$$

2. If $\frac{XZ}{MP} = \frac{ZY}{PN}$, which 2 angles need to be the triangles to be similar by SAS?

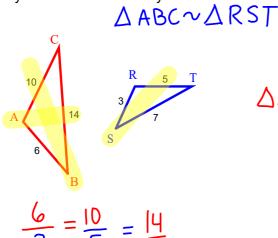
Side-Side (SSS) Similarity Theorem

If the corresponding side lengths of two triangles are proportional, then the triangles are similar.

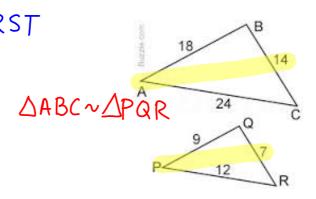


Are the two triangles similar?

If they are write the similarity statement.



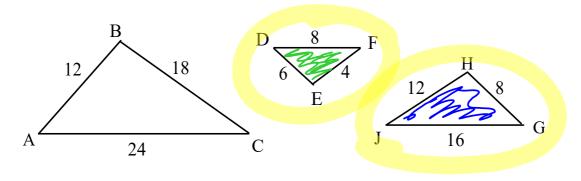
$$\frac{6}{3} = \frac{10}{5} = \frac{14}{7}$$



$$\frac{14}{7} = \frac{18}{9} = \frac{24}{12}$$

$$\frac{2}{7} = \frac{2}{1} = \frac{2}{1}$$

Which triangle is similar to △ABC?



$$\frac{12 = 18}{4} = \frac{24}{8}$$

$$\frac{3}{1} = \frac{3}{1} = \frac{3}{1}$$

$$\frac{|2|}{8} = \frac{18}{12} = \frac{24}{16}$$

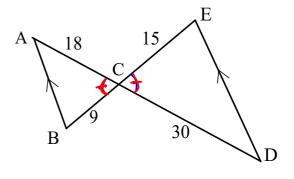
$$\frac{3}{2} = \frac{3}{2} = \frac{3}{2}$$

Name 2 different methods you would use to show that the triangles are similar.

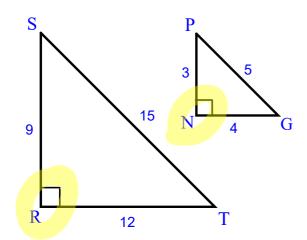
AA~ alternate int. <=

SAS ~ vertical <'s proportional sides

$$\frac{18}{30} = \frac{9}{15}$$
 $\frac{3}{5} = \frac{3}{5}$



State what method you would use to show that the triangles are similar.



$$SSS \sim \frac{9}{3} = \frac{12}{4} = \frac{15}{5}$$

$$\frac{3}{1} = \frac{3}{1} = \frac{3}{1}$$

$$SAS \sim \frac{12}{15}$$

Is there enough information to find the value of x? If so, find the value of x.

