

Unit 9 day 2 notes

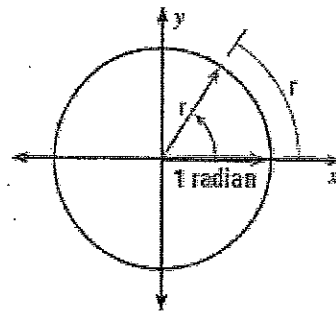
Degrees aren't the only way to measure angles!

So, we know there are 360 degrees in a full rotation.  
What about radians?

- About how many radians are in a full rotation?
- About how many radians are in a half rotation?
- Exactly how many radians are in a full rotation?
- Exactly how many radians are in a half rotation?

**RADIAN MEASURE** Angles can also be measured in *radians*. To define a radian, consider a circle with radius  $r$  centered at the origin as shown. One radian is the measure of an angle in standard position whose terminal side intercepts an arc of length  $r$ .

Because the circumference of a circle is  $2\pi r$ , there are  $2\pi$  radians in a full circle. Degree measure and radian measure are therefore related by the equation  $360^\circ = 2\pi$  radians, or  $180^\circ = \pi$  radians.



How do you convert from degrees to radians?

$$57^\circ$$

$$90^\circ$$

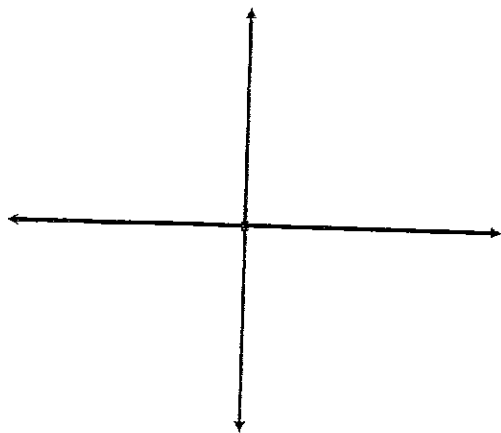
$$330^\circ$$

How do you convert from radians to degrees?

$$\frac{7\pi}{4}$$

$$\frac{11\pi}{6}$$

$$3$$

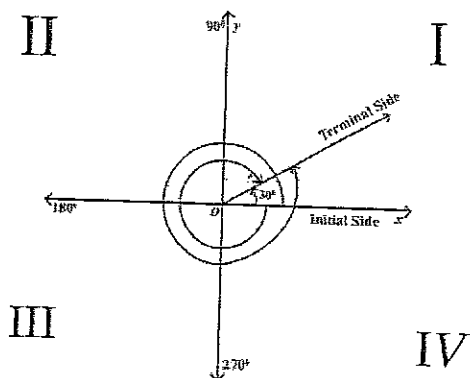


standard position-

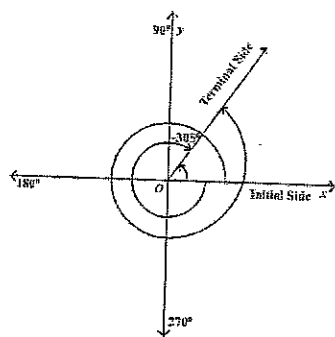
positive-

negative-

coterminal-

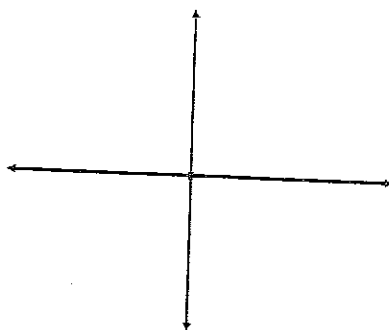


Find the measure of the two coterminal angles

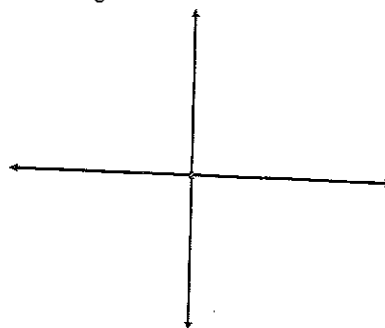


Sketch the following angles in standard position.

$200^\circ$



$-\frac{\pi}{6}$



Find a positive and negative coterminal angle for each given angle.

$130^\circ$

$450^\circ$

$-200^\circ$

$\frac{3\pi}{4}$

$\frac{-12\pi}{5}$

$\frac{10\pi}{12}$

Solve the following triangle.

